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# Bond torsion affects the product distribution in the photoreaction of retinal model chromophores 

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#### Abstract

Ab initio molecular dynamics (MD) calculations have been performed to study the photoisomerization of a 3-double-bond retinal model chromophore, the all-trans-4, 6-dimethylpenta-3, 5-dieniminium cation, and the possible influence of non-planar distortions on the product distribution. In total, 171 trajectories have been generated for four different conformations of the structure, a planar one and three in which the C4-C5 and the $\mathrm{C} 5=\mathrm{C} 6$ bonds were increasingly twisted out of plane. Starting geometries randomly distributed about the equilibrium geometry were generated by zero-point energy sampling; trajectories were calculated using CASSCF-BOMD methodology and were followed until the photoproduct and its configuration could be assigned. For the latter, two different approaches were applied, one involving the CASSCF configuration vectors, the other an analysis of the MD at the first possible hopping event. Isomerization was found to occur almost exclusively about the central $\mathrm{C} 3=\mathrm{C} 4$ double bond in the case of the planar model compound. Twisting the conjugated $\pi$-system shifts the isomerization site from the central double bond to the terminal $\mathrm{C} 5=\mathrm{C} 6$ double bond. With both the $\mathrm{C} 4-\mathrm{C} 5$ and the $\mathrm{C} 5=\mathrm{C} 6$ bonds twisted by $20^{\circ}$, about $35 \%$ of the trajectories lead to the configurationally inverted 5 -cis product. The results are discussed with reference to the highly selective and efficient photo-induced isomerization of the retinal chromophore in rhodopsin.


Keywords CASSCF • Molecular dynamics • Rhodopsin • Retinal • Isomerization

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#### Abstract

Abbreviations MD: Molecular dynamics BOMD: Born-Oppenheimer molecular dynamics . ZPES: Zero-point energy sampling • Rho: Rhodopsin • bR: Bacteriorhodopsin • Batho: Bathorhodopsin • pSb : Protonated Schiff base - SA: State-averaged CASSCF: Complete active space self consistent field • MCSCF: Multiconfigurational SCF


## Introduction

One of the most efficient photoconversions devised by nature is the reaction which initiates the process of vision in the rod cells of the vertebrate eye. Isomerization of 11-cis-retinal, the chromophore of the visual protein rhodopsin (rho), occurs ultra fast and is highly selective and effective: the first spectral evidence of the photoproduct is found after 200 fs ; the single product is all-trans-retinal, and the quantum yield of the reaction is 0.67 [1]. After isomerization of the chromophore, the protein passes through a sequence of intermediates in which the configurational change of the chromophore is transferred stepwise into structural changes of the protein, until the active state is reached and the visual cascade is started [2]. A reaction of comparable efficiency initiates the photocycle of bacteriorhodopsin (bR), like rho, a retinal binding 7 -helical membrane protein with, however, a different function: bR pumps protons from the cytoplasmatic to the extracellular side of the membrane. The chromophore of bR is all-trans-retinal, and the photoreaction causes isomerization from all-trans-to 13 -cis [3]. In rho and in bR, the chromophores are covalently bound via protonated Schiff base ( pSb ) linkages to the $\varepsilon$-amino side chain of lysine residues, Lys296 and Lys216, respectively (Fig. 1) and are buried deep within the binding pockets of their respective proteins. Both configuration and conformation of the rho $[4,5]$ and of the bR chromophore $[6,7]$ have been verified with high-resolution X-ray crystallography.

The unsurpassed efficiency of the protein-bound retinal photoreaction has been studied in several theoretical

Fig. 1 The initial photoreaction of the rhodopsin chromophore from 11-cis to all-trans (a) and of the bacteriorhodopsin chromophore from all-trans to 13-cis (b)


$h v$
$h v$


investigations using either bare model chromophores [810 ] or chromophores within the binding pocket [11-13]. All studies agree that torsion about a particular bond is preceded by strong $\mathrm{C}-\mathrm{C}$ bond vibration caused by the inverted $\pi$-electron density distribution along the conjugated chain in the $S_{1}$ excited state. Why bond torsion involves specifically the $\mathrm{C} 11=\mathrm{C} 12$ bond in rho and the $\mathrm{C} 13=\mathrm{C} 14$ bond in bR , is subject to considerable discussion. Undoubtedly, the protein pocket plays a major role, since outside the protein the photoisomerization of retinal pSb proceeds in a highly unselective and inefficient manner [14]. There are several distinct possibilities how the binding pocket might exert a directional influence on the photoreaction of the chromophore. Upon binding to the protein, the chromophore undergoes significant conformational changes resulting among other things in a pre-twist of the $\mathrm{C} 11=\mathrm{C} 12$ and the $\mathrm{C} 13=\mathrm{C} 14$ bonds. These torsions have been reproduced reliably with high-quality computations for rho [15] and for bR [16] and may be the prerequisite for the high stereoselectivity of the photoreaction. Also, the protein pocket is lined with charged and polar groups, which not only affect the absorbance of the chromophore but might also control the isomerization pathway by "electrostatic catalysis" [17]. Finally, and most difficult to prove or disprove by theoretical methods because of the computational effort involved, is the proposition that the excited chromophore induces transient structural changes in the protein that affect its chemical reactivity [18].

In this paper we show, on the basis of different 3-double-bond retinal model chromophores, that torsion, in particular the presence of pre-twisted double bonds, significantly affects the product distribution following photoisomerization. It appears that steric effects play an important role in the ultra fast and highly efficient reaction observed in the two proteins.

## Computational details

## Chromophore models

Ab initio molecular dynamics (MD) calculations are computationally highly demanding, which renders the treatment of the complete retinal chromophore impossible. We reduced the chromophore to a model consisting of the positive nitrogen center and the three adjoining conjugated double bonds (Scheme 1); the fragment from C 1 to C 9 , which includes the $\beta$-ionone ring, was omitted and a methyl group introduced instead. For the numbering and the relation to retinal, see Scheme 1.

For this model, four different starting conformations were devised and geometry-optimized: $\mathbf{1}$ was kept planar throughout the optimization, in 2 , the $\mathrm{C} 3=\mathrm{C} 4-\mathrm{C} 5=\mathrm{C} 6$ and the $\mathrm{C} 4-\mathrm{C} 5=\mathrm{C} 6-\mathrm{C} 7$ dihedral angles were twisted by $10^{\circ}$ from planarity, in 3, these angles were doubled, and finally in $\mathbf{4}$, the dihedrals about the two bonds were taken from a realistic chromophore model obtained by

Scheme 1



1


3


4

MD simulation of the complete retinal chromophore in the rho binding pocket [19]. Though the structures of models 2-4 do not correspond to local minima, their Hessians show no negative eigenvalues, since the molecules have not left the region of positive curvature of the torsion potential.

For the standard ab initio molecular orbital calculations, the GAUSSIAN98 program package was employed [20]. Ground state geometries were obtained by CASSCF optimization of the pure $S_{0}$ wave function using the standard $6-31 \mathrm{G}$ basis set and Cartesian $d$ functions. CASSCF configurations were formed by the six electrons in the six $\pi$-like orbitals of the molecule.

## Trajectories

Excited-state MD simulations were performed using BOMD [21], which was adapted to the MOLCAS set of routines [22]. BOMD calculates trajectories on the excited $S_{1}$ potential energy surface by solving Newton's equations of motion on the fly using the Verlet integrator scheme with a constant time step of 0.24 fs . For the whole trajectory, state-averaged (SA) wavefunctions were employed with the ground and the first excited state weighed equally. SA-MCSCF gradients were corrected using Lagrange multipliers supplied by the MOLCAS-MCLR program. Velocities were scaled when the sum of potential and kinetic energy deviated by more than $0.06 \mathrm{kcal}_{\mathrm{mol}}{ }^{-1}$ per time step. Trajectories calculated this way reproduce exactly those obtained by the more accurate CPMCSCF gradient correction techniques [23] at significantly reduced computational expenditures.

For generating initial geometries and velocities for the MD calculations, the zero-point energy sampling (ZPES) method was employed. Described in detail elsewhere [24], second derivatives (frequencies) of the ground state CASSCF wavefunction are calculated, and zero-point energies apportioned to all vibrational modes. Potential and kinetic energy are distributed at random in the different modes, resulting in an ensemble of geometries that are identical in total energy but differ in their distribution about the equilibrium geometry.

Following Franck-Condon excitation from the $S_{0}$ ground state, trajectories are calculated on the $\mathrm{S}_{1}$ surface. These trajectories eventually converge into the rotation of one particular double bond, with the $S_{1}$ surface dropping rapidly in energy and the $S_{0}$ surface increasing toward the region where surface crossing might occur. The most advanced method to determine the non-adiabatic surface hop event is by propagating the solutions of the time-dependent electronic Schrödinger equation together with nuclear propagation. After projecting the wavefunction on the adiabatic basis states, the population of the two states is used to determine whether a surface hop has occurred [25, 26].

## Product formation

In order to avoid the accurate but very costly solution of the time-dependent Schrödinger equation, we have applied two alternative procedures to determine the fate of the trajectories. One is based on the "vector rotation" method and the other involves an analysis of certain torsional modes at the first possible point of decay. In the former, surface hopping is enforced when the scalar product of the CI-vectors of two consecutive MD steps indicates a change in electronic configuration [27]. The trajectory is then continued on the ground state surface, until the photoproduct (isomerization or return to the starting configuration) can be identified unambiguously. The vector rotation method can detect decay events only when there is a very close approach between the $S_{1}$ and the $\mathrm{S}_{0}$ surfaces, and in most cases the molecule enters the crossing region several times before hopping is induced. In the following, we refer to these hopping attempts as "close approaches of $S_{1}$ and $S_{0}$." Typical energy differences for hopping events detected with this method are between 0.1 and $1.5 \mathrm{kcal} \mathrm{mol}^{-1}$.

Surface hops, however, can occur earlier and at higher energy gaps. By solving the time-dependent Schrödinger equation, we have detected high probabilities of decay at the first close approach of $S_{1}$ and $S_{0}$ despite energy differences as high as $13 \mathrm{kcal} \mathrm{mol}^{-1}$ [28]. These results differ significantly from those obtained by vector rotation.

From the analysis of a large number of trajectories we have developed an empirical rule that allows to predict with high reliability the outcome of the photoreaction at any point of hopping, in particular at any point of close approach. The rule depends on the direction in which two dihedral angles about the rotating double bond are changing (Fig. 2): one is the torsion of the main chain measured as the dihedral angle $\mathrm{C}-\mathrm{C}=\mathrm{C}-\mathrm{C}$ and the other is the torsion of the two substituents of this bond, i.e., the dihedral angle $\mathrm{Me}-\mathrm{C}=\mathrm{C}-\mathrm{H}$. In the case of $\mathrm{C} 5=\mathrm{C} 6$ torsion, we have used the corresponding $\mathrm{H}-\mathrm{C}=\mathrm{C}-\mathrm{H}$ torsion angle. Whenever the two dihedrals are changing in the same direction at the time of a possible hopping event, the product follows this direction. However, when the dihedrals follow different directions, it is the hydrogen with its strong out-of-plane movement that determines whether the $\mathrm{S}_{0}$ trajectories will lead to the cis or to the trans product. At the point of first approach, these two angles are generally still in phase, and the probability of the cis product is high, if the molecule actually hops at this point. Later in the trajectory, especially after passing a point of close approach without hopping, the two angles uncouple and the probability of the trans product increases accordingly.

This torsion analysis method was applied at the point of closest approach of $S_{1}$ and $S_{0}$ (the point before both potentials start to diverge again) when the energy difference between the potentials at this point was less than $13 \mathrm{kcal} \mathrm{mol}^{-1}$. It allows us to predict the fate of the molecule without the need to follow the ground state trajectory further. By applying this method to the

Fig. 2 Relationship between torsional modes and outcome of the photoisomerization. The reaction is productive only when at the decay point the $\mathrm{H}-\mathrm{C} 3=\mathrm{C} 4-\mathrm{Me}$ angle decreases, regardless of the $\mathrm{C} 2-\mathrm{C} 3=\mathrm{C} 4-\mathrm{C} 5$ direction of motion (a). When this angle increases the starting configuration is regenerated (b)


b




cis-pentadieniminium cation, we were able to reproduce the product distribution obtained by time-dependent surface hopping exactly. It has also been used to determine the product distribution when starting from the trans-pentadieniminium cation [29]. It is the time-saving effect that has allowed the product analysis, i.e., the determination of the $Z / E$ ratio, of the 171 MD runs of this study.

## Results and discussion

In this section, we will first describe and discuss the features and general aspects of the calculated molecular
trajectories. We will then present and compare the product distribution for chromophore $\mathbf{1}$ based on the two different methods for determining the hopping event. Finally, we will present the statistical analysis for all four chromophores.

## "Productive" and "unproductive" photo-events

Figure 3 shows how several key molecular parameters evolve in time during a typical MD calculation. The left column of panels refers to a productive photoreaction in which one of the double bonds, $\mathrm{C} 3=\mathrm{C} 4$ in this particular case, isomerizes from trans to cis. The right column

Fig. 3 Two trajectories of model 1; left, trajectory that hops at the first close approach of $\mathrm{S}_{1}$ and $\mathrm{S}_{0}$ yielding the $\mathrm{C} 3=\mathrm{C} 4$ trans product; right, trajectory that regenerates the starting configuration at the third approach of $\mathrm{S}_{1}$ and $\mathrm{S}_{0}$. The panels show (from top) the time development of the $S_{1}$ and $\mathrm{S}_{0}$ energies; the energy difference, the $\mathrm{C} 2-\mathrm{C} 3=\mathrm{C} 4-\mathrm{C} 5$ (red full line) and $\mathrm{H}-\mathrm{C} 3=\mathrm{C} 4-$ Me (dotted line) torsion angles, and the double-bond lengths


shows how the parameters change in the case of an unproductive reaction, i.e., a bond starts to rotate, but at some point in time the rotation reverts and starting product is obtained.

The plots start with the Franck-Condon excitation from $S_{0}$ to $S_{1}$. The potential energy curves of both states show the high-frequency modulation caused by the fast $\mathrm{C}-\mathrm{H}$ stretching vibrations. This is a result of the zeroenergy sampling process in which all nuclei including the hydrogens have starting momenta and start to vibrate around their equilibrium positions. In the energy difference graph shown below, the $\mathrm{C}-\mathrm{H}$ vibrational energy changes cancel out, in contrast to the energy changes due to the stretching modes of the double bonds, which are activated as a consequence of the electronic excitation. There is a conspicuous drop in the energy difference during the first 10 fs after excitation when all three double bonds start to adjust in-phase to the inverted electron density alternation of the $S_{1}$ state. This energy drop is singular since the vibrations start to dephase, which is obvious from an inspection of the bottom panel where the double-bond lengths are plotted against time. The strongest vibration is induced in the central double bond, which reaches a maximum length of close to 160 pm .

The third panel from top shows how the dihedral angles along the rotating bond changes along the trajectory. It reveals that the molecule is still essentially planar 60 fs after the excitation, when it slowly starts to rotate about the central bond. Concomittant with the rotation, the energy difference between $S_{1}$ and $S_{0}$ begins to drop sharply since the excited state is stabilized, and the ground state destabilized, by this torsional motion. After 95 fs , the energy difference has reached a value of less than $1 \mathrm{kcal} \mathrm{mol}^{-1}$ and the molecule hops back to the ground state. The continuing rotation carries the system quickly out of the hopping region, and the planar inverted geometry is reached after a total of 130 fs .

In the right trajectory, the molecule has already passed two close approaches-after 100 and 120 fs with energy differences of 10.6 and $6.8 \mathrm{kcal} \mathrm{mol}^{-1}$, respectively, until it finally hops with an energy difference of $0.16 \mathrm{kcal} \mathrm{mol}^{-1}$ after 160 fs . The dihedral angle of the rotating bond is only $55^{\circ}$ at the hopping event, i.e., the
molecule has advanced significantly further toward the cis geometry than in the former trajectory, but this is not sufficient to realize a stable cis-configurated product. Instead, immediately after the hop the rotation of the bond reverts and the starting product is formed back. Note the rather smooth variation of the C2-C3 $=\mathrm{C} 4-\mathrm{C} 5$ dihedral angle in contrast to the erratic behaviour of the $\mathrm{H}-\mathrm{C} 3=\mathrm{C} 4-\mathrm{Me}$ torsion angle, especially in the neighborhood of close approaches of the energy curves. Also note that at the hopping event both angles are increasing again, allowing the prediction-as it turns out to be the case - that the product of this reaction will be the original all-trans configurated chromophore.

## Product distribution: the vector rotation method

Forty-three trajectories were calculated and analyzed starting with the planar geometry of the chromophore model 1. Despite the strain of the $\mathrm{C} 5=\mathrm{C} 6$ bond due to the methyl groups at C4 and C6, there was only one trajectory in which this strain is released by torsion of this bond; 42 trajectories gave products resulting from $\mathrm{C} 3=\mathrm{C} 4$ bond torsion. There is a broad distribution of hopping geometries, as shown in Fig. 4 (left). The $Z / E$ ratio (i.e., productive vs. unproductive events) is large when the torsion angle is still large and hopping occurs at the first close approach. With decreasing torsion angle, the probability of unsuccessful approaches of the energy surfaces increases, and so does the fraction of unproductive events. In most of these cases, two or more approaches are necessary before the molecule actually decays. The calculated quantum yield is 0.6 . Like the hopping geometries, the lifetimes of the excited states (Fig. 4, right) are spread out, and again there is a preference for high $Z / E$ ratios when the lifetime is short.

Product distribution: hopping at the first close approach
Figure 5 shows what happens when the molecules are assumed to hop at the first close approach of the surfaces. Not unexpectedly the results differ substantially from those obtained with the vector rotation method,

Fig. 4 Distribution of torsion angles at the hop point (left) and excited state lifetimes (right) for model $\mathbf{1}$ determined with the vector rotation method. Lined boxes denote trajectories not decaying at the first approach of $\mathrm{S}_{1}$ and $\mathrm{S}_{0}$



Fig. 5 Left, distribution of torsion angles and expected product distribution at the first close approach of $\mathrm{S}_{1}$ and $\mathrm{S}_{0}$ for model 1; right, excited state lifetimes until the first close approach is reached


since the time that the molecules spend on the excited state surface is significantly reduced. One indication for this is the narrow distribution of torsion angles at the possible hopping event: since the molecules have less time for equilibration in the excited state, the hopping geometries are more similar. Fast decay is obviously connected with productive isomerization; more than $50 \%$ of the cis product is formed in less than 100 fs , while the majority of trajectories yielding starting material have lifetimes between 100 and 120 fs . In total, 30 out of 42 trajectories, i.e., $71 \%$ yield the cis product, compared to $60 \%$ when the vector rotation method is applied.

The two methods yield upper and lower bounds to the correct solution based on time-dependent quantum theory: the first possible event for surface hopping occurs when the surfaces approach sufficiently, whereas at a surface crossing the molecules will necessarily decay to the ground state.

The distribution of energy gaps (Fig. 6) is similar to that found in a non-adiabatic surface hopping MD of the cis-pentadieniminium cation [28, 29]. In nearly $60 \%$ of the trajectories we observe very small energy gaps of less than $4 \mathrm{kcal} \mathrm{mol}^{-1}$, where surface hops are in fact highly probable.


Fig. 6 Distribution of energy gaps at the first close approach of $\mathrm{S}_{1}$ and $\mathrm{S}_{0}$ for model system 1

Effect of bond torsion on the product distribution
In total, 171 trajectories were calculated for the model chromophores 1-4 and analyzed with respect to the product distribution. The question which bond is going to isomerize can be answered very early in the trajectory as the rotatory motion is funneled into a particular site of the molecule. Whether the trajectory will yield the Zproduct after hopping, or will reverse itself and return to the starting E-configuration, has been decided by an analysis of the chromophore dynamics at the first close approach of $S_{1}$ and $S_{0}$ as described in a preceding section. The results are summarized in Table 1, which also lists averaged values for the dihedral angles, the energy differences at the first close approach, and the time needed to arrive at this point.

Turning first to the question whether the non-planar distortion of the chromophore determines the position that is going to be affected by the photoreaction, we note that the fraction of molecules in which the central C3 $=\mathrm{C} 4$ bond isomerizes decreases significantly

Table 1 Summary of calculations for chromophore models 1-4 showing the total number of trajectories calculated and the number of $\mathrm{C} 3=\mathrm{C} 4$ and $\mathrm{C} 5=\mathrm{C} 6$ isomerization events

|  | 1 | 2 | 3 | 4 |
| :--- | :---: | :---: | :---: | :---: |
| Number of trajectories | 43 | 44 | 43 | 41 |
| C3 = C 4 rotations | 42 | 39 | 27 | 34 |
| Productive | 30 | 31 | 18 | 28 |
| Clockwise | 24 | 23 | 19 | 21 |
| $\phi_{\mathrm{av}}$ | 114.3 | 112.2 | 109.6 | 114.0 |
| $\Delta E_{\mathrm{av}}$ | 3.6 | 4.2 | 4.9 | 4.4 |
| $\tau_{\mathrm{av}}$ | 98.4 | 96.3 | 99.7 | 93.6 |
| C5 C6 rotations | 1 | 5 | 16 | 6 |
| Productive | 1 | 4 | 15 | 5 |
| Clockwise | 1 | 5 | 16 | 6 |
| $\phi_{\mathrm{av}}$ | 80.2 | 82.5 | 80.3 | 92.2 |
| $\Delta E_{\mathrm{av}}$ | 0.8 | 6.9 | 4.5 | 3.45 |
| $\tau_{\mathrm{av}}$ | 114.7 | 83.0 | 81.8 | 87.7 |

For both types of isomerization, the table lists the number of productive runs yielding the $Z$-product; the number of trajectories following clockwise rotation; the average torsion angle $\phi$ (in degrees) of the rotating bond at the first close approach, the $\mathrm{S}_{1}-\mathrm{S}_{0}$ energy difference $\Delta E$ (in $\mathrm{kcal} \mathrm{mol}^{-1}$ ) at the first close approach and the excited state life time $\tau$ (in fs)

Fig. 7 Product distribution in the MD simulations of models $\mathbf{1 - 4}$. The percentage of trajectories that lead to either $\mathrm{C} 3=\mathrm{C} 4$ or $\mathrm{C} 5=\mathrm{C} 6$ rotation is given beside the bar graphs. The green and the red portions of the bars represent, respectively, the productive and the unproductive events with respect to that particular rotation estimated from the torsion angles at the first close approach of the energy surfaces

as the twist of the two terminal bonds increases. The number of $\mathrm{C} 3=\mathrm{C} 4$ isomerizations drops from 42 in the planar model $\mathbf{1}$ to 39 in $\mathbf{2}$ and finally to 27 in $\mathbf{3}$, the model with the largest twist. In the same order the number of trajectories involving $\mathrm{C} 5=\mathrm{C} 6$ rotations increases first from 1 to 5 and then to 16. The shift toward isomerization of the terminal double bond is not linear with the distortion, but picks up momentum as the pre-twist angles increase. This is also evident from the data of model 4 in which the out-of-plane torsion is much closer to $\mathbf{3}$, but the distribution is more similar to 2. There is no clear pattern in the $Z / E$ product ratio of $\mathrm{C} 3=\mathrm{C} 4$ bond isomerization; in contrast the E product yield is very high throughout the model chromophores when the pre-twisted C5 $=$ C6 bond isomerizes. These results are also summarized graphically in Fig. 7.

The sense of rotation of the isomerizing double bond is not relevant in the planar model 1: both the clockwise and the counterclockwise rotation are equally probable. Within the limits set by the number of trajectories studied, this is borne out by the statistics of this chromophore. With the twist angles preset in a clockwise manner in the chromophores 2 to $\mathbf{4}$, it is not surprising that the trajectories of $\mathrm{C} 5=\mathrm{C} 6$ isomerization follow in the same direction without exception. Whether the preference for clockwise rotation about the (planar) $\mathrm{C} 3=\mathrm{C} 4$ bond in these cases is significant or accidental cannot be decided on the basis of the available data.

With respect to the averaged data concerning the hopping event, there is a significant difference in the hopping geometries: for the $\mathrm{C} 3=\mathrm{C} 4$ double bond most events take place between $120^{\circ}$ and $110^{\circ}$ of torsion, as observed already in the statistical analysis of $\mathbf{1}$. Most of
the $E / Z$ isomerizations of the terminal double bond happen between $75^{\circ}$ and $85^{\circ}$ of torsion, i.e., much closer to the product geometry. Also, in the latter case the average lifetime of the excited state is definitely shorter than for the central bond, possibly on account of the initial twist imparted on this bond. A report about how the reaction velocity is influenced by this effect has appeared recently [10].

## Conclusions

The ultra fast, highly selective, and efficient photoisomerization of the retinal chromophore in the retinal binding proteins rho and bR has been probed on a small all-E-configurated 3-double-bond model chromophore using ab initio excited state MD methodology and employing a technique for analyzing the product distribution by following the motion of high-amplitude hydrogen-out-of-plane modes at possible decay events. The following are our key findings:

- In the planar chromophore isomerization occurred almost exclusively at the central double bond with an overall yield of $60 \%$ of the $Z$-product; $40 \%$ of the trajectories returned to the initial $E$-configuration of the starting product. The average lifetime of the excited state was between 98 and 114 fs , depending on the method used for determining the surface-hopping event. For a trajectory to yield the $Z$-product, the $S_{1}$ to $S_{0}$ surface hopping should occur at the first close approach when the internal vibrational and rotational modes are still largely coupled. The probability for a return to the $E$-configuration increases with the number of unsuccessful close approaches, even though the continuous rotation of the double bond shifts the geometry of the molecule at the hopping event further toward the $Z$-product.
- Bond torsion significantly affects the product distribution of the model chromophores. With an initial torsion of the terminal bonds by $10^{\circ}$ each, isomerization of the central double bond is still favored; $89 \%$ of the trajectories involve rotation of the $\mathrm{C} 3=\mathrm{C} 4$ bond. However, $11 \%$ of the photoproduct show that isomerization has occurred at the $\mathrm{C} 5=\mathrm{C} 6$ bond. Doubling the dihedral angles shifts the distribution further, to 63 and $37 \%$, respectively. Whether the observed changes of the $E / Z$ ratio are significant and can be correlated with observed quantum yields remains to be seen considering the limited number of trajectories available. The results show, however, convincingly that the initial torsion about certain bonds has a directing effect on the photochemistry of the chromophore.

The calculated isomer ratios, $\mathrm{C} 3=\mathrm{C} 4$ versus $\mathrm{C} 5=\mathrm{C} 6$, are far from the selectivity observed in real proteins. There are several factors that can contribute to this discrepancy. Our model chromophores are very short and cannot possibly reflect the whole complexity of a

6-double-bond chromophore. The preference for isomerizing the central double bond shown in model 1 would work very much in favor of the $\mathrm{C} 11=\mathrm{C} 12$ bond in rho, in addition to it being cis-configurated and having a significant pre-twist. Larger models will have to be studied to come to a conclusive answer. Also, more work is needed to decide whether bond torsion can also be held accountable for the selective $\mathrm{C} 13=\mathrm{C} 14$ bond isomerization in bR.

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[^0]:    Dedicated to Professor Dr. Paul von Rague Schleyer on the occasion of his 75th birthday.

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